

Vedic Multiplication

The secret to any effective mental arithmetic algorithm is simple: at any given time, you only have to remember at most one number.

Vedic multiplication is based on this principle. Here is an example, multiplying 346 x 527:

It is easiest to start at the right, and work to the left (because of carries):

The digit in the 1s place in the answer comes from multiplying 1s by 1s:

$$\begin{array}{r} 3 \ 4 \ 6 \\ \times 5 \ 2 \ 7 \\ \hline \end{array} \quad 6 \times 7 = 42. \text{ Write } 2, \text{ remember } \mathbf{4}.$$

The digit in the 10s place in the answer comes from multiplying 10s by 1s, and adding:

$$\begin{array}{r} 3 \ 4 \ 6 \\ \times 5 \ 2 \ 7 \\ \hline \end{array} \quad 28 + 12 = 40; + \mathbf{4} = 44.$$

Write 4, remember **4**.

The digit in the 100s place in the answer comes from multiplying 100s by 1s, and 10s by 10s, and adding:

$$\begin{array}{r} 3 \ 4 \ 6 \\ \times 5 \ 2 \ 7 \\ \hline \end{array} \quad 21 + 8 = 29; +30 = 59; + \mathbf{4} = 63.$$

Write 3, remember **6**.

The digit in the 1,000s place in the answer comes from multiplying 100s by 10s, and adding:

$$\begin{array}{r} 3 \ 4 \ 6 \\ \times 5 \ 2 \ 7 \\ \hline \end{array} \quad 6 + 20 = 26; + \mathbf{6} = 32.$$

Write 2, remember **3**.

The digit in the 10,000s place in the answer comes from multiplying 100s by 100s:

$$\begin{array}{r} 3 \ 4 \ 6 \\ \times 5 \ 2 \ 7 \\ \hline \end{array} \quad 3 \times 5 = 15; + \mathbf{3} = 18.$$

Write 18.

The technique extends to any number of digits. The number of digits can be different in the multiplicand and the multiplier.